

An Economic Theory Masterclass

Part III: Market Power

Lones Smith

February 24, 2021

Market Power

- ▶ Competitive paradigm assumes that price taking behavior
- ▶ With vastly many (a continuum) of firms or consumers, then this makes sense, since it is infeasible to impact them.
- ▶ If firms act knowing that they can impact prices —namely, have **market power**.
- ▶ We argue that market power is socially inefficient, and then predict how it changed the competitive outcome.

Barriers to Entry

- ▶ **Network externalities** sustain Facebook, Twitter (MLS?)
- ▶ **Legal Barriers to Entry**
 - ▶ Government may create a monopoly, via a *franchise* (gas, electric, phone, utility, post office, **cable**) with large fixed costs
 - ▶ FDR's *National Industrial Recovery Act* sought to stop "ruinous" / "cut-throat" competition by insisting on "code of fair competition" (Great Depression lasted over a decade)
 - ▶ To prevent theft of intellectual property, it gives a firm a *patent* or give someone a *copyright* to a book.
- ▶ **Legal or mystery cartel**
 - ▶ Colleges empower the NCAA with a collegiate sports franchise.
 - ▶ Eyeglass cartel: Luxottica owns LensCrafters, Pearle Vision, Sears Optical, Target Optical
- ▶ **Noncompete Agreements**
 - ▶ 18% of workers are bound by a noncompete agreement
 - ▶ Jimmy John's prohibited its sandwich makers from working for a competitor within two miles of a Jimmy John's for two years.
- ▶ **Illegal Barriers to Entry**
 - ▶ Criminal enterprises guard their sales territory by violence.

Market Power via Brand Names

- ▶ **Brand Name**

- ▶ Reputational inertia: Luxottica owns most eye glass brands.

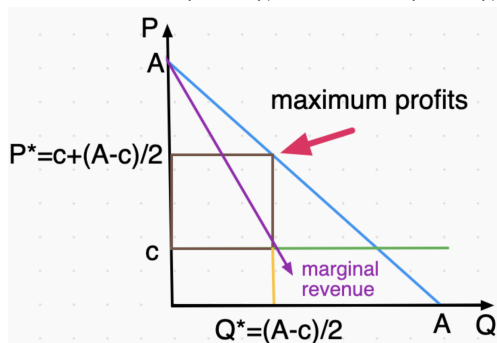
LUXOTTICA®





Monopoly with Linear Demand

- ▶ Assume constant marginal costs $c \in (0, A)$
- ▶ Linear demand $P(Q) = A - Q$.
- ▶ **Competition**
 - ▶ $P(Q) = c$ and $Q = A - c$.
- ▶ **Monopoly**
 - ▶ $\max_Q P(Q)Q - cQ = (A - Q)Q - cQ$.
 - ▶ FOC: Marginal revenue is $MR = A - 2Q = c$
 - ▶ $Q = (A - c)/2$ and $P = (A + c)/2$.



Monopoly

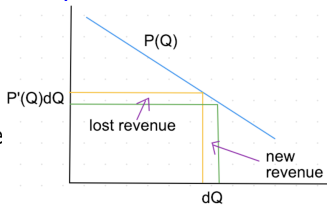
- ▶ Profits if seller faces a downward sloping demand curve:

$$\Pi(Q) = R(Q) - C(Q) \equiv P(Q)Q - C(Q)$$

- ▶ FOC: Marginal revenue equals marginal cost:

$$R'(Q) = P(Q) + \boxed{QP'(Q)} = C'(Q)$$

- ▶ For competitive firms, marginal revenue equals the price!
- ▶ gains P on last units & loses $|P'(Q)dQ|$ on inframarginal units
- ▶ $\cancel{\Delta}$ boxed term in $R'(Q)$ with perfect competition
- ▶ This privately profitable consideration is socially inefficient: transfer of firm profits to consumer surplus is welfare neutral.
- ▶ *Monopoly quantity is less than the competitive level*
- ▶ SOC: $\Pi''(Q) \leq 0$
- ▶ i.e. MC is steeper than MR
- ▶ Marginal revenue is new revenue on the last unit minus lost revenue on inframarginal units (right)



Inverse Elasticity Rule

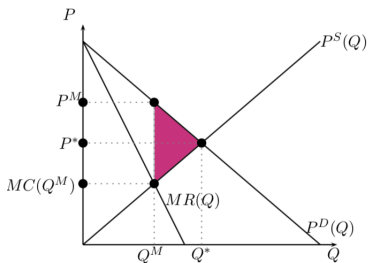
- ▶ Rewriting the FOC

$$P(Q) \left[1 + \frac{QP'(Q)}{P(Q)} \right] = C'(Q) \Rightarrow P(Q) \left[1 - \frac{1}{|\epsilon|} \right] = C'(Q)$$

- ▶ This brings us to the *inverse elasticity rule*

$$\text{Lerner index} = L = \frac{P(Q) - C'(Q)}{P(Q)} = \frac{1}{|\epsilon|} < 1$$

- ▶ McDonalds varies prices to learn elasticities and set prices
- ▶ The *inverse elasticity* measures **market power**. It vanishes with perfect competition, and explodes with a captive market



How to Consult for McDonald's

- ▶ A monopolist never sells for any price along the inelastic portion of his demand curve, namely, where $|\epsilon| < 1$.

- ▶ He can raise his revenue and reduce his costs by selling less:

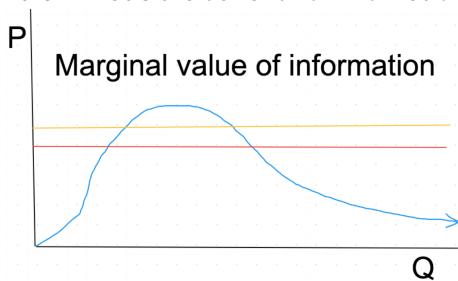
$$R'(Q) = P(Q) + QP'(Q) = P(Q)[1 + 1/\epsilon] < 0 \quad \text{if } 0 > \epsilon > -1$$

- ▶ The demand for Gaussian information is logarithmic for small unit prices: $Q(p) = -A \log p$ for $p > 0$ small

- ▶ Its elasticity is $\epsilon = -Q'(p)p/Q = A/Q < 1$, and thus it is never optimal to set a constant unit price.

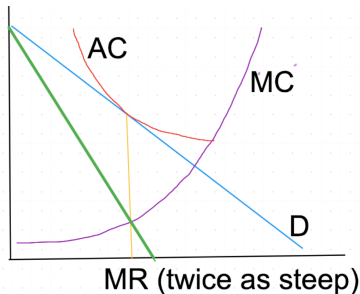
- ▶ Source: Keppo, Moscarini, and Smith (2008)

- ▶ For Thurs: What's the demand for information for this plot?



Profit versus Market Power

- ▶ Market power \nrightarrow high profits
 - ▶ Why? Profits also reflect fixed costs.
 - ▶ *A firm can have high market power and yet zero profits.*
- \Rightarrow tangency of the average cost and demand curves.



Profit versus Market Power



Monopsony

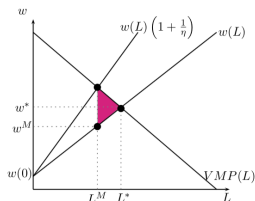
- ▶ Assume rising labor supply $w(L)$ & competitive output market
- ▶ Production function $f(L)$, but a fixed price p for output.
- ▶ Competitive labor buyer has FOC $w(L) = Pf'(L) \equiv VMP_L$
 - ▶ Workers are paid the **value of the marginal product** of labor
- ▶ **Market power on the buying side** reduces purchases.
 - ▶ Joan Robinson coined the phrase monopsony (below)
- ▶ FOC:

$$VMP = Pf'(L) = w(L) + Lw'(L)$$

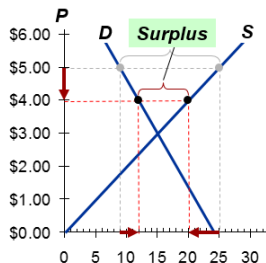
- ▶ Inverse elasticity rule:

$$VMP(L) = w(L) \left(1 + \frac{1}{\eta} \right) \rightarrow \frac{VMP(L) - w(L)}{w(L)} = \frac{1}{\eta}$$

- ▶ Linear $w(L) \Rightarrow VMP$ has same intercept, and is twice as steep



Price Setting Monopoly



- ▶ Revenue is higher at $P = \$4$ than $P = \$3$, because

$$\$4 \times 12 = \$48 > \$3 \times 15 = \$45$$

- ▶ **Theorem:** Cartel sellers choose a higher than equilibrium price.

- ▶ Proof: The planner maximizes $W(Q) = \int_0^Q [P_D(t) - P_S(t)] dt$
 \Rightarrow FOC $P_D(Q^*) - P_S(Q^*) = 0$.

- ▶ Cartel maximizes

$$\Pi(Q) = \int_0^Q P_D(Q) - P_S(t) dt = W(Q) + \int_0^Q [P_D(Q) - P_D(t)] dt$$

\Rightarrow Since $\Pi'(Q) = W'(Q) + QP'_D(Q)$, single crossing holds,
 moving from $\Pi(Q)$ to $W(Q)$: if $\Pi'(Q) \geq 0$, then $W'(Q) > 0$

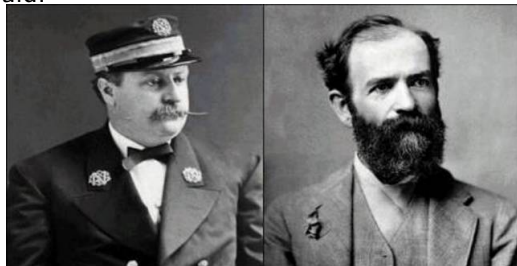
- ▶ Topkis $\Rightarrow Q^* = \arg \max W(Q) > \arg \max R(Q) = \hat{Q}$.

Cornering the Market

- ▶ **Cornering the market** is owning enough of an asset (but not all) to control the market price, buying low and selling high
- ▶ Static models cannot make sense of this. It requires deception
- ▶ Anderson and Smith (AER, 2013) “Dynamic Deception” tell a dynamic private information story of market manipulation
- ▶ Dynamic Duos Who Tried to Corner the Market
 - ▶ **Black Friday (1869)** — as opposed to Black Tuesday, 1929
 - ▶ James Fisk and Jay Gould tried to **corner the gold market** on the New York Gold Exchange
 - ▶ Government gold hit the market, and ended it
 - ▶ Siegel and Kosuga tried to **corner the onion market**
 - ▶ They bought over 98% of all onions in 1956
 - ▶ Trading in the US onion futures market has since been banned
 - ▶ **Silver Thursday, March 27, 1980**
 - ▶ Three Hunt brothers tried to **corner the silver market**
 - ▶ bought over half of all silver silver on margin (now banned).
 - ▶ In four months, silver prices rose from \$11 / ounce in September 1979 to nearly \$50 before collapsing to below \$11
 - ▶ Nathan Mayer Rothschild (1815) after Battle of Waterloo
 - ▶ Endings of “Trading Places” (1983) and “Wall Street” (1987)

Cornering the Market

Fisk and Gould:



“Trading Places” ending:



The Cartel as a Multiplant Firm

- ▶ $n < \infty$ firms face demand $P(Q)$, where $Q = \sum_{i=1}^n q_i$
- ▶ Cost functions $C_i(q_i)$ for firm $i = 1, 2, \dots, n$
- ▶ Competition: every firm i solves $C'_i(q_i) = P$.
- ▶ If the firms act as a monopoly — an illegal **cartel** — they act as a multiplant firm, choosing outputs q_i to maximize joint profits:

$$\max_{\{q_i\}_{i=1}^n} \left(P(Q)Q - \sum_{i=1}^n C_i(q_i) \right) = \max_{\{q_i\}_{i=1}^n} \left(R(Q) - \sum_{i=1}^n C_i(q_i) \right)$$

- ▶ First order conditions for this common objective function:

$$R'(Q) = P(Q) + QP'(Q) = P(Q) + Q \frac{\partial P(Q)}{\partial q_i} = C'_i(q_i) \quad \forall i$$

- ▶ Cartel examples: OPEC (44% of world oil production), de Beers Diamonds (was 90% market share, now 33%), Quebec Maple Syrup, Sinaloa Drug Cartel

Great Light Bulb Conspiracy (1924-30s)



On September 21, 1932, in a dank basement in Sheboygan, Wisconsin, one of the greatest conspiracies of all time is formed.

- ▶ “first cartel in history to enjoy a truly global reach. . . The cartel’s grip on the lightbulb market lasted only into the 1930s. By early 1925, this became codified at 1,000 hours for a pear-shaped household bulb, a marked reduction from the 1,500 to 2,000 hours that had previously been common”

How Chiseling Erodes the Cartel

- ▶ But firms do not share a common objective function!
- ▶ Each firm sees that its marginal revenue $>$ its marginal cost:

$$R'_i(Q) = P(Q) + q_i \frac{\partial P(Q)}{\partial q_i} > P(Q) + QP'(Q) = R'(Q) = C'_i(q_i)$$

- ▶ So each firm wants to increase production, and marginally “chisel” at their quota.
 - ▶ Cartels keep awesome accounting production records to stop this, and these records in many cases have been found by law enforcement and used to prosecute the cartels
 - ▶ This idea, which brought down Al Capone, is the plotline of “The Untouchables” (1987) — with Sean Connery, Kevin Costner and probability professor [Patrick Billingsley](#)



How Chiseling Brings us to Cournot

- ▶ Marginal revenue falls in Q_i until no one wishes to chisel.
- ⇒ $P + q_i P'(Q) = C'_i(q_i)$ for all i , namely, the first order condition for

$$\max_{q_i} P(Q)q_i - C_i(q_i)$$

- ⇒ each firm optimizes, taking as given others' production.
- ▶ **Antoine-Augustin Cournot** “Recherches sur les principes mathématiques de la théorie des richesses” (1837)
 - ▶ first to define and draw a demand curve (without foundation)
 - ▶ profit-maximization: marginal cost equals marginal revenue
 - ▶ “Cournot Nash Equilibrium” — an accidental coincidence?



Example: Cournot Oligopoly Example (Linear Demand)

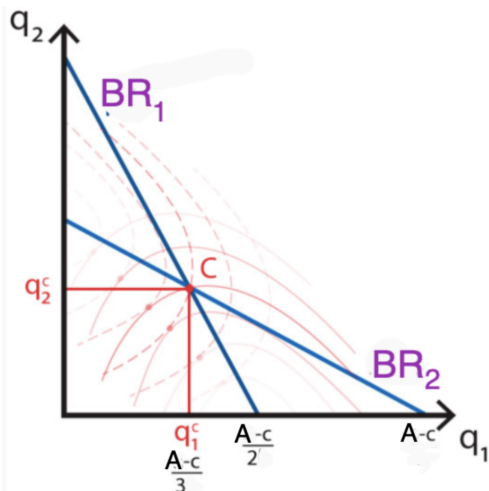
- ▶ Each of n firms has constant marginal cost $c \in (0, 1)$
- ▶ Demand $P(Q) = A - Q$.
- ▶ **Competition**
 - ▶ $c = P(Q) = A - \sum_{j=1}^n q_j \Rightarrow q_i = \frac{A-c}{n}, P = c$
- ▶ **Cartel**
 - ▶ $\max_Q P(Q)Q - cQ = (A - Q)Q - cQ$.
 - ▶ FOC: $A - 2Q = c \Rightarrow Q = (A - c)/2$ and $P = (A + c)/2$.
 - ▶ The price - marginal cost markup is $(P - c)/P = \frac{A-c}{A+c}$
- ▶ **Cournot Oligopoly**
 - ▶ Each firm i solves:

$$\max_{q_i} \left(\left(A - \sum_{j=1}^n q_j \right) q_i - cq_i \right)$$

- ▶ FOC: $A - 2q_i - \sum_{j \neq i}^n q_j = c \forall i \Rightarrow q_i = [A - c - \sum_{j \neq i}^n q_j]/2 \forall i$
- ▶ Firm i *best replies* as if he knows other outputs (Nash)
- ▶ **A Foundation for Perfect Competition:** Cournot equilibrium quantity and price are nearly competitive with many firms:

$$q_n^* = \frac{A - c}{n + 1} \quad \text{and} \quad P_n = \frac{A/n + c}{1/n + 1} \downarrow c \text{ as } n \rightarrow \infty$$

Cournot Duopoly as a Crossing of Best Reply Functions



- ▶ **Isoprofit curves** plotted for firm 1 (solid red) and firm 2 (dashed red) are inverted parabolas to q_1, q_2 axes
- ▶ Best reply function is the locus of maxima of isoprofit curves
- ▶ Cournot game \leftrightarrow **strategic substitutes**: falling best reply maps

Cournot Oligopoly Approaches Competition

- ▶ USA Antitrust history:
 - ▶ 1890 Sherman Act banned “every contract, combination, or conspiracy in restraint of trade” and “attempted monopolization, or conspiracy or combination to monopolize”
 - ▶ 1914: Federal Trade Commission Act created the FTC
 - ▶ 1914 Clayton Act banned mergers / acquisitions that “substantially lessen competition” create a monopoly.
- ▶ **Herfindahl index of market power** is $H = \sum_i s_i^2 \equiv \sum_i (q_i/Q)^2$
 - ▶ i 's profits $\pi_i(q_i) = P(Q)q_i - c_i q_i$ (constant marginal costs c_i)
 - ▶ Cournot competition implies

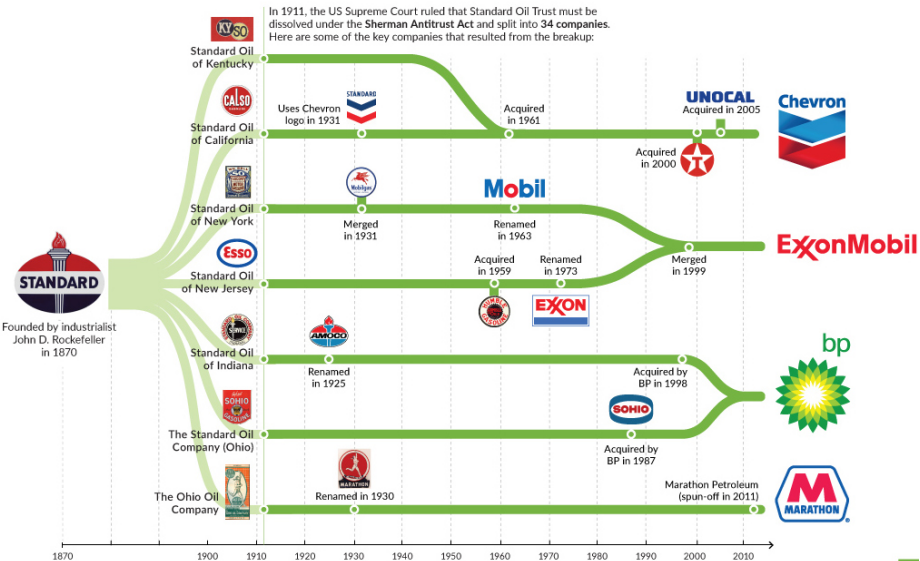
$$0 = \frac{\partial \pi_i}{\partial q_i} = P'(Q)q_i + P(Q) - c_i \quad \Rightarrow \quad P(Q) - c_i = -P'(Q)q_i$$

- ▶ Altogether, a good index of market power is the weighted average of price-marginal cost markups

$$\sum_i s_i \frac{P - c_i}{P} = - \sum_i s_i \frac{dP}{dQ} \frac{Q}{P} (q_i/Q) = \frac{1}{|\varepsilon|} \sum_i s_i^2 = H/|\varepsilon|$$

- ▶ Herfindahl index and demand elasticity should govern antitrust behavior

Standard Oil Breakup, 1911



AT&T Breakup, 1982



Stackelberg Quantity Leadership with Linear Demand

- ▶ Cournot (1837): simultaneous actions and anticipates Nash
- ▶ **Stackelberg (1934)**: sequential actions, and anticipates SPNE
- ▶ LINEAR DEMAND CONSTANT MARGINAL COST EXAMPLE:
 - ▶ Demand $P(Q) = A - Q$ and marginal costs $c \in (0, 1)$
 - ▶ Leader moves, then follower.

▶ BACKWARD INDUCTION

- ▶ We first maximize follower's profits (an inverted parabola):

$$\max_{q_F} (A - q_F - q_L)q_F - cq_F \Rightarrow \text{FOC: } (A - 2q_F - q_L) - c = 0$$

- ▶ Follower's best reply is $q_F = \max(0, (A - c - q_L)/2)$
- ▶ We then maximize leader's profits (also an inverted parabola)

$$\begin{cases} (A - q_L - \frac{A-c-q_L}{2})q_L - cq_L & \text{if } q_L \leq A - c \\ (A - q_L)q_L - cq_L & \text{if } q_L > A - c \end{cases}$$

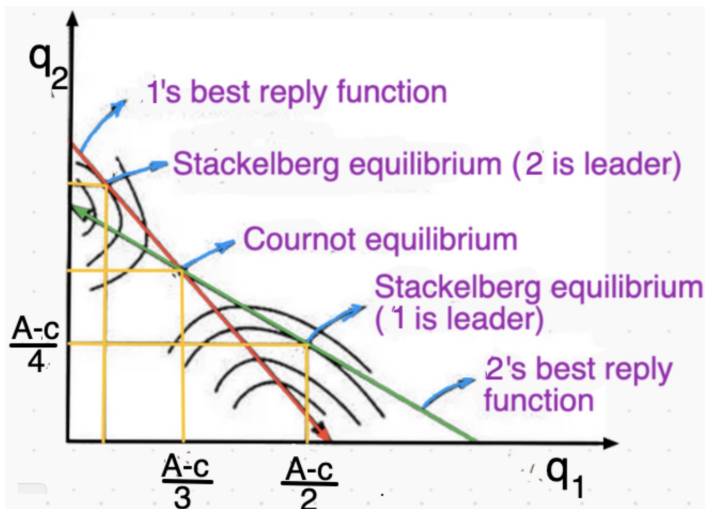
- ▶ Leader's FOC \Rightarrow optimal output

$$q_L^* = \frac{1}{2}(A - c) > \frac{1}{3}(A - c) = q_C^*$$

\Rightarrow Follower's optimal output $q_F^* = \max(0, \frac{1}{2}(A - c - q_L)) = \frac{A-c}{4}$

\Rightarrow Total Stackelberg output $q_L^* + q_F^* > 2q_C^*$ total Cournot output

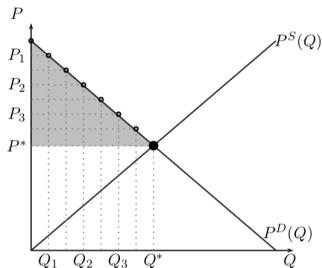
Stackelberg Leader Produces More than Cournot Duopolist



- ▶ Stackelberg leader produces more than the Cournot duopolist, & the follower less, for any cost and demand function
- ▶ 1's highest isoprofit curve touching B's best reply function: output $q_1^S > q_1^C$

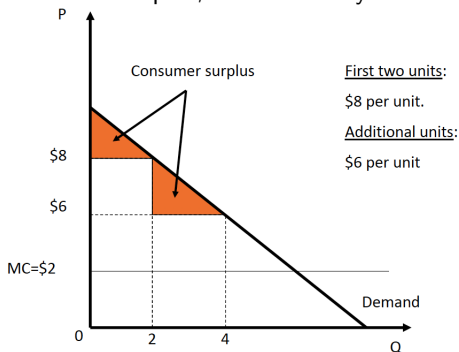
Beyond Linear Pricing: Price Discrimination

- ▶ Competition forces firms to employ constant linear prices
- ▶ Monopolists need not
- ▶ **Price discrimination**: charging different prices to different consumers, or different prices for different quantity demands
- ▶ **First degree price discrimination**: personalized prices
- ▶ This is efficient, as no positive surplus trades are eliminated.
- ▶ The seller wishes to maximize surplus, since she gets all of it!



Second Degree Price Discrimination

- ▶ **Second degree price discrimination:** seller charges a different price for different quantities consumed
 - ▶ **two part tariff**, involving a fixed fee for the right to trade at a linear price, like Disneyland tickets
 - ▶ quantity discounts (frequently flyer or buyer programs)
 - ▶ Why? Second degree price discrimination captures some of the consumer surplus, due to strictly convex preferences



- ▶ useful when different consumers cannot be distinguished

Second Degree Price Discrimination



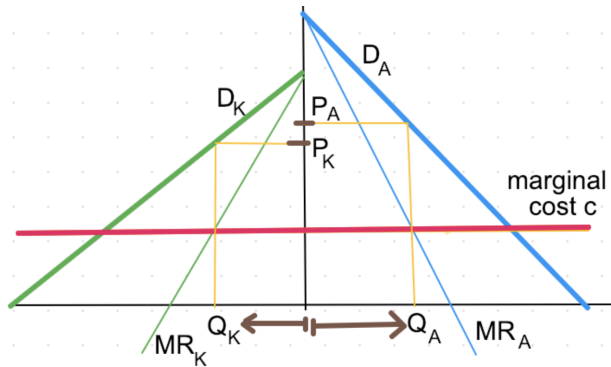
Third Degree Price Discrimination

- ▶ **Third-degree price discrimination:** a seller charges a different price to different consumer groups.
 - ▶ Even using grocery scan cards gives the store information to adjust prices, knowing who tends to buy what goods together
⇒ combine second and third degree price discrimination
 - ▶ Sometimes it is ruled out: not allowed to charge different prices for men and women except for life insurance

Third Degree Price Discrimination: Movie Ticket Pricing

- ▶ For example, imagine a constant marginal cost $c > 0$, and demand curves $P_A(Q)$ and $P_K(Q)$ for adults A and kids K.
- ▶ With no interaction between these groups, separately apply our inverse elasticity rule for each group
- ▶ The more inelastic group is charged a higher price:

$$\frac{P_A}{P_K} = \frac{1 - |1/\epsilon_K|}{1 - |1/\epsilon_A|}$$



Banning Price Discrimination

- ▶ Country A has *most favored nation* status from country B if A has the best tariff treatment that B awards any nation.
 - ▶ All 159 WTO members receive Most Favored Nation status
 - ▶ MFN precludes price discrimination.
- ▶ Discussion on healthcare often include MFN provisos!